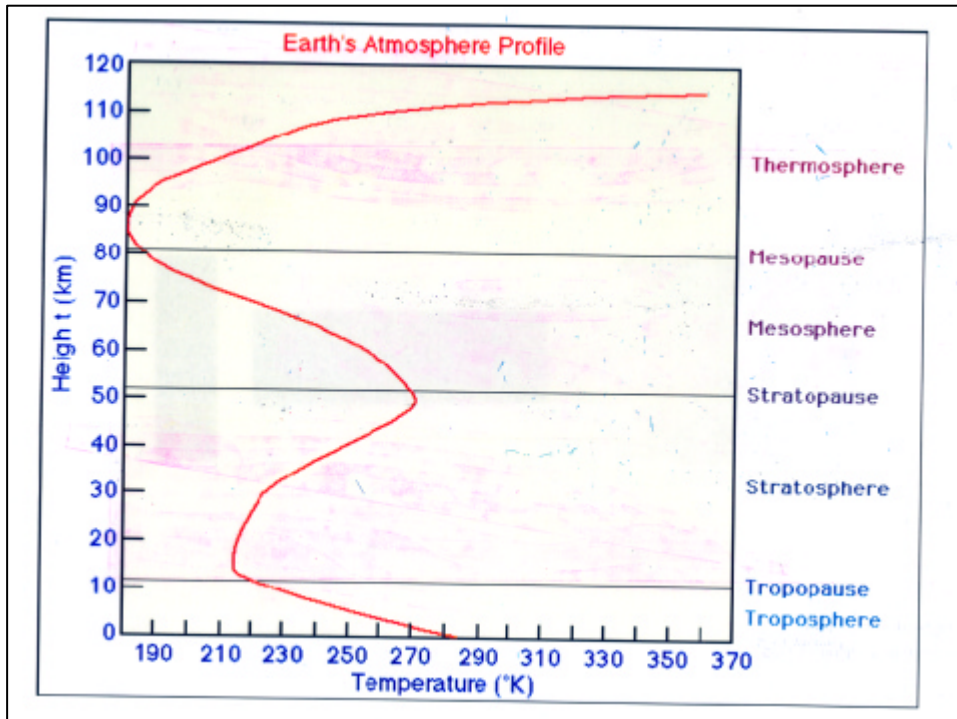


Atmospheric Structure & Transport of Trace Gases

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University of Reading



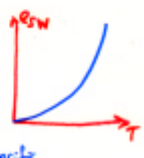
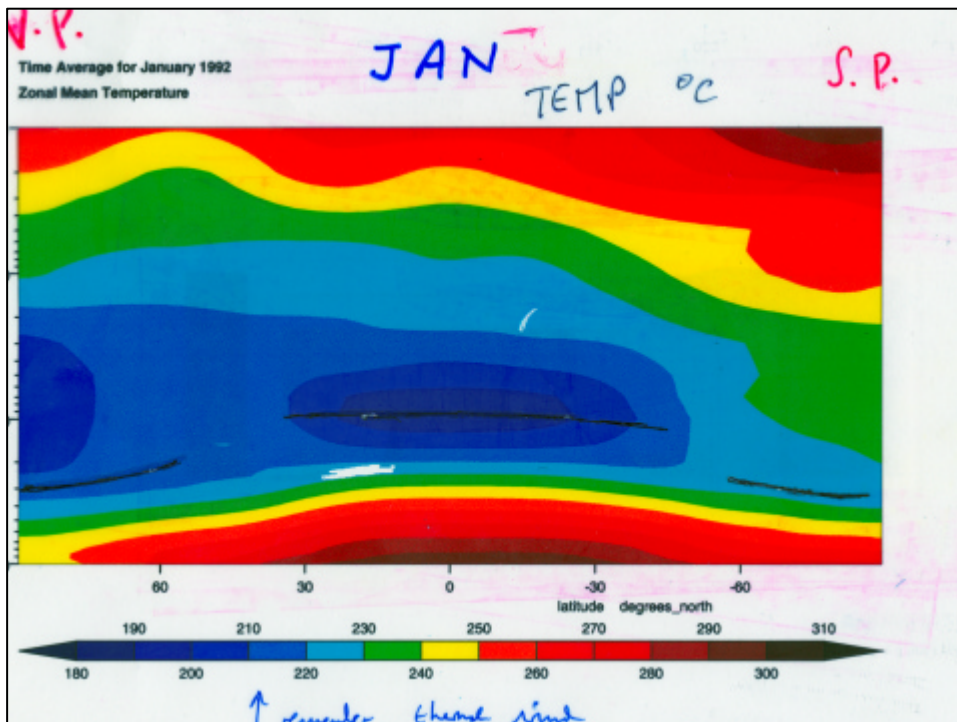
Diagnostic Equations

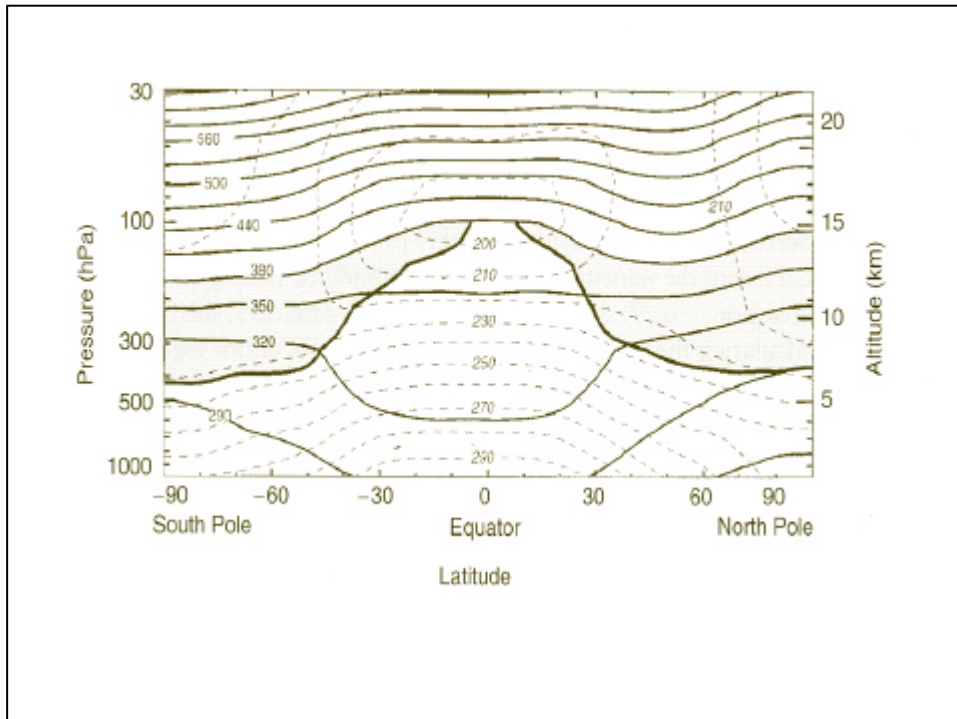
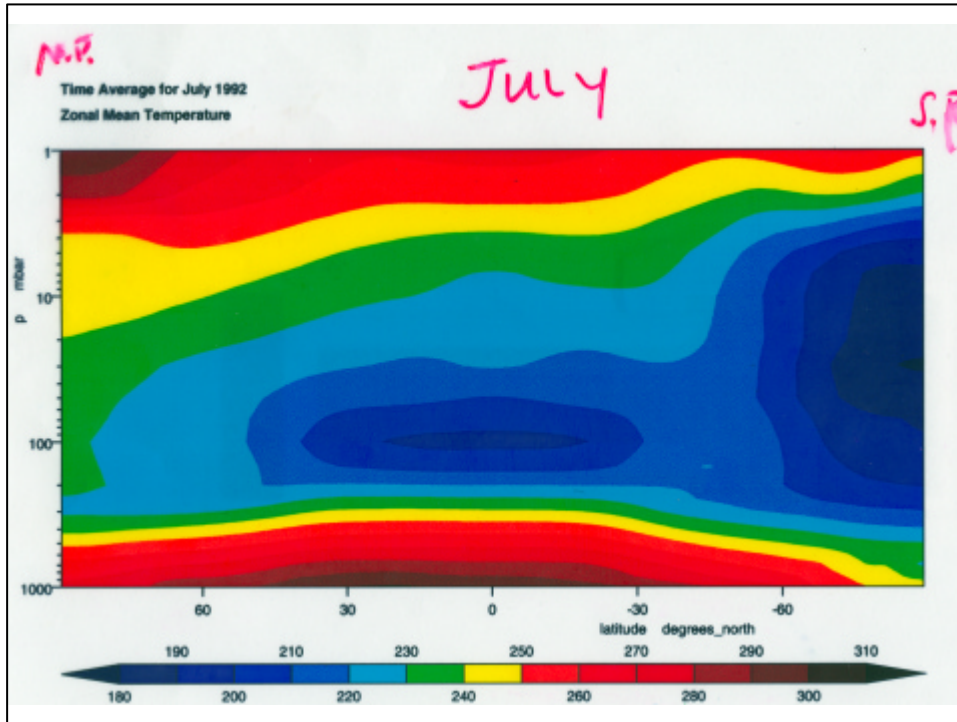
Eqn. of State
 $p = \rho RT$

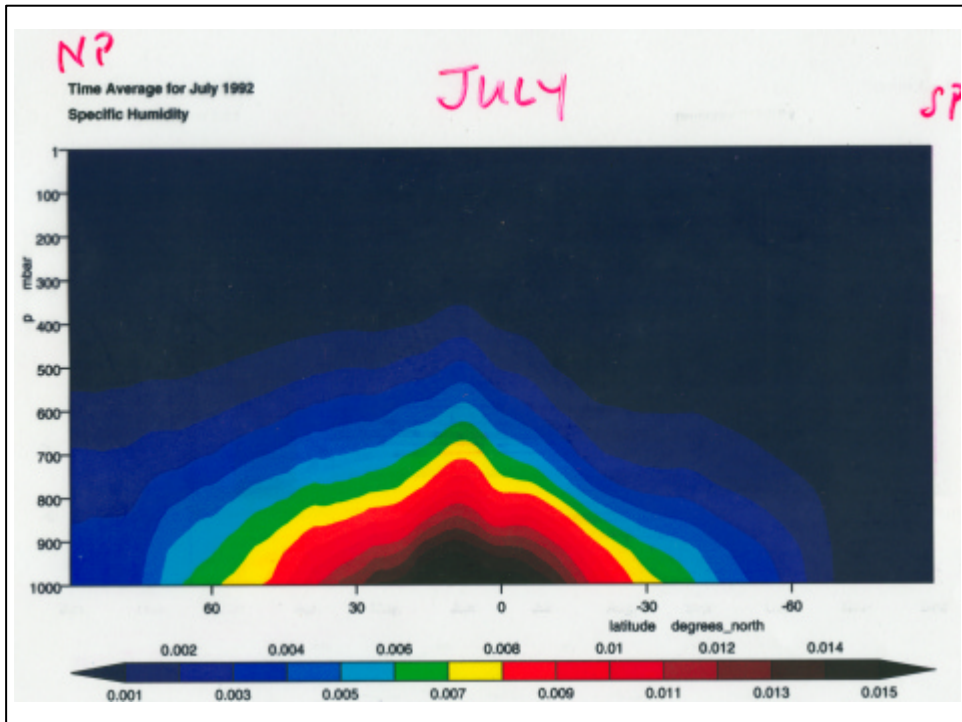
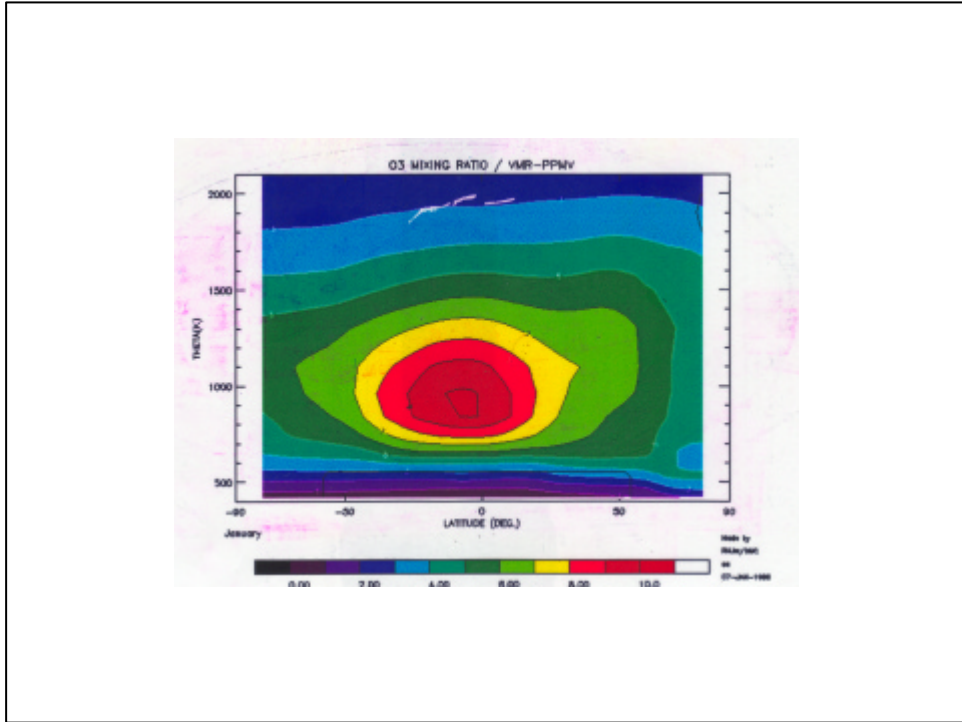
Hydrostatic Eqn.
 $dp = -\rho g dz \Rightarrow p \approx p_0 e^{-z/H}$
 $H = RT/g$
 scale height.

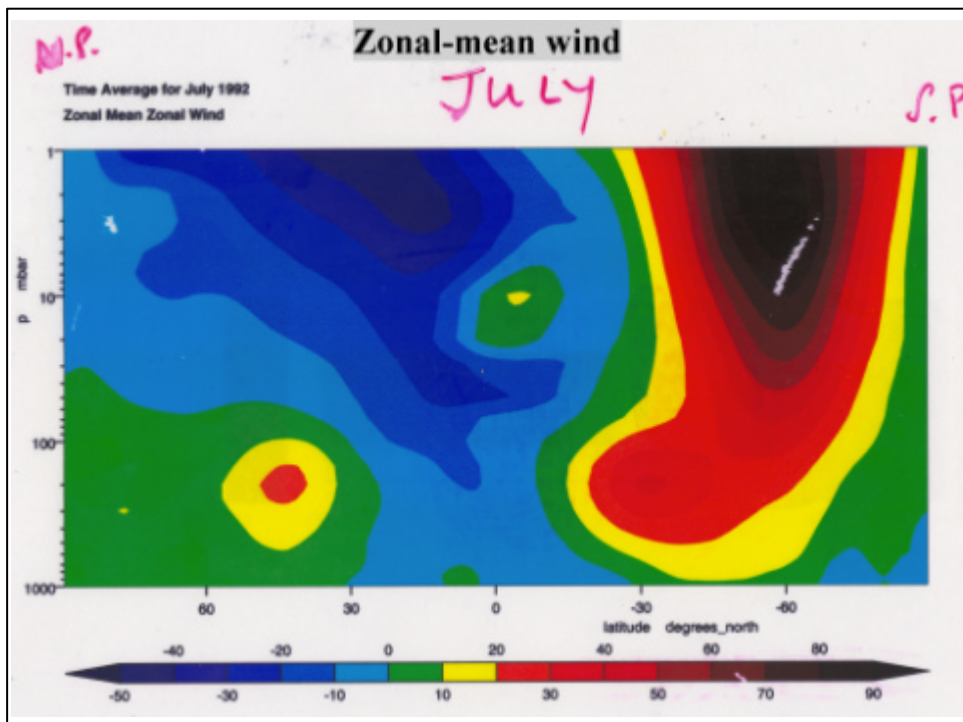
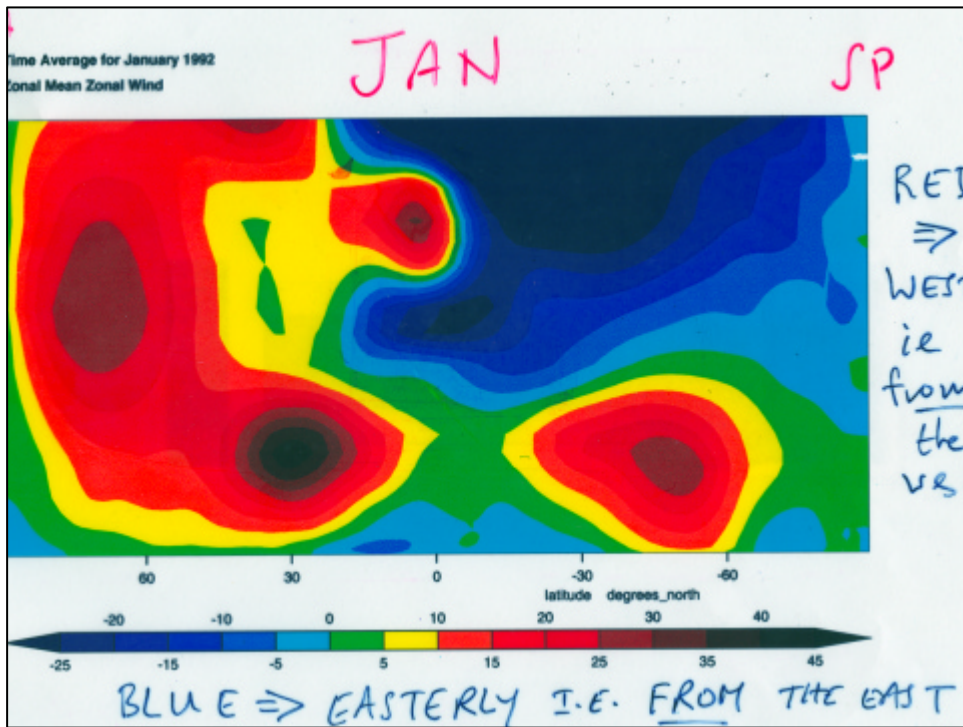
Thermal Wind Relation
 $\frac{\partial u}{\partial \ln p} = \frac{R}{f} \left(\frac{\partial T}{\partial y} \right)_p$ (not at equator)

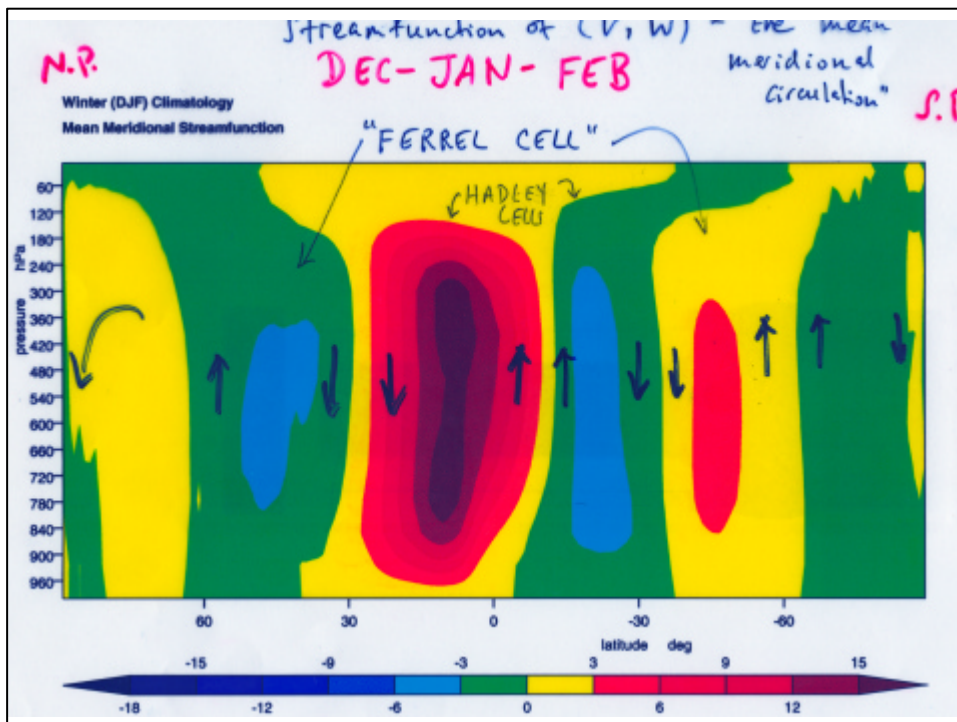
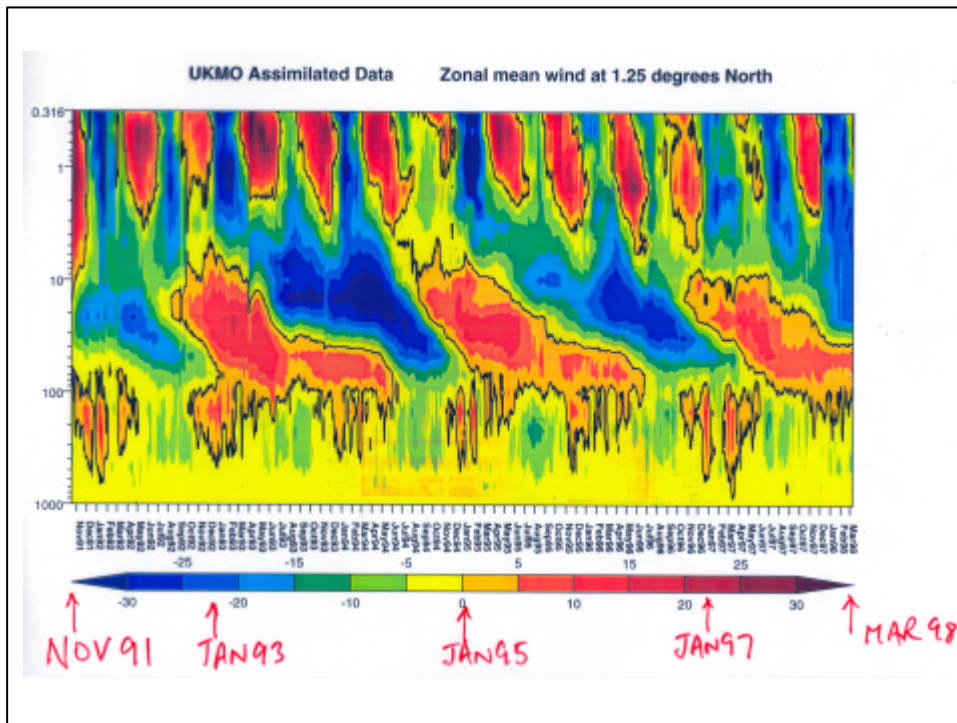
Clausius - Clapeyron Eqn.
 $\frac{ds_v}{dT} = \frac{l}{T \Delta \alpha}$
 l ← specific latent heat
 $\Delta \alpha$ ← difference in specific volumes between vapour & water
 saturated vapour present.

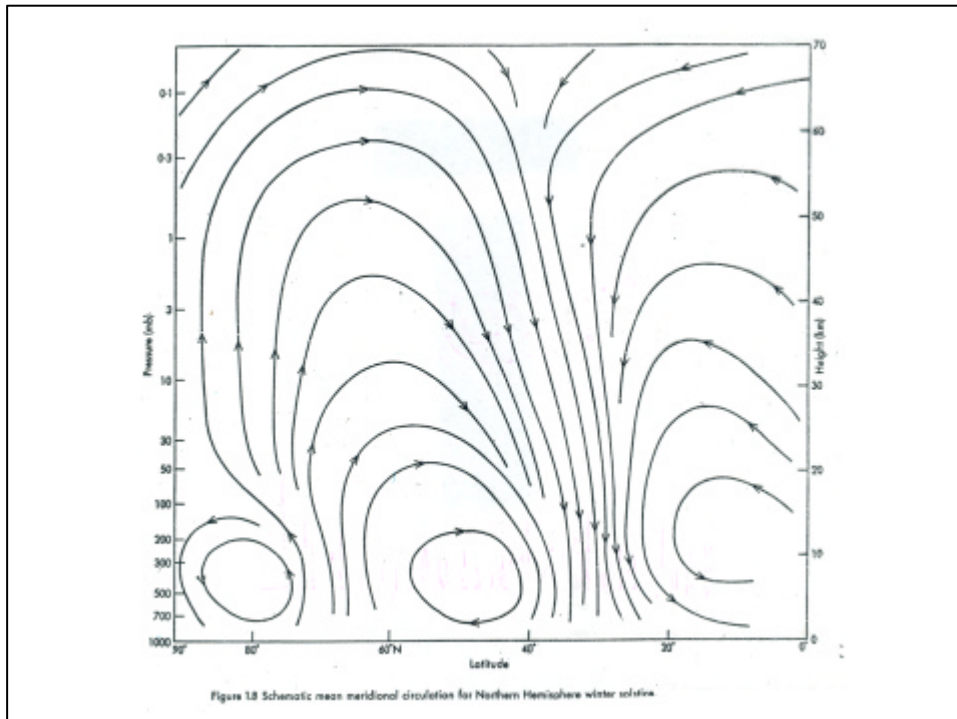
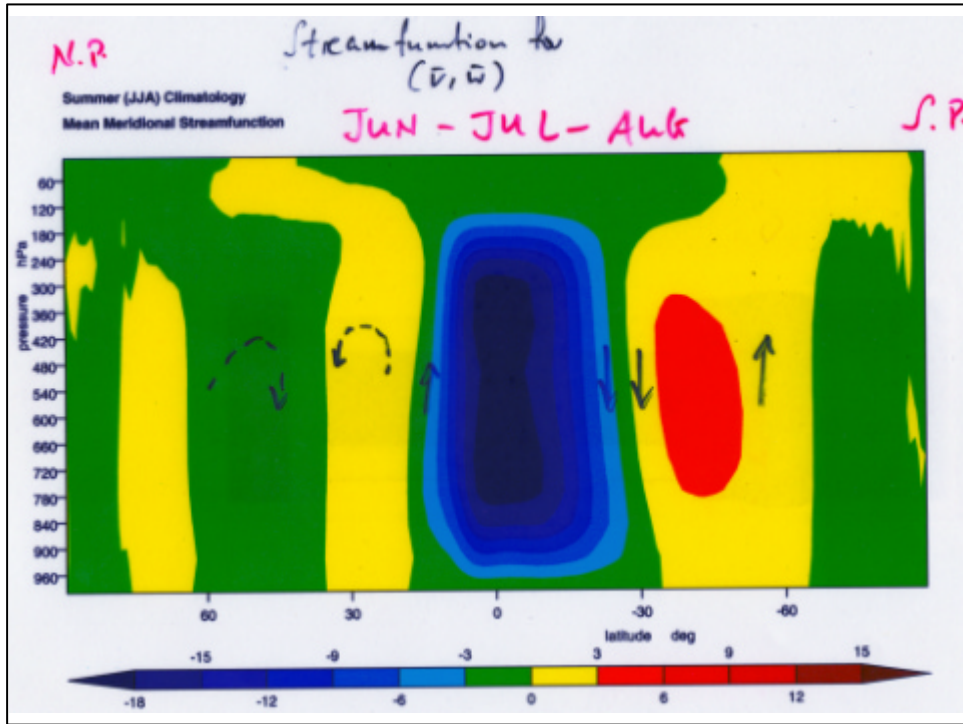



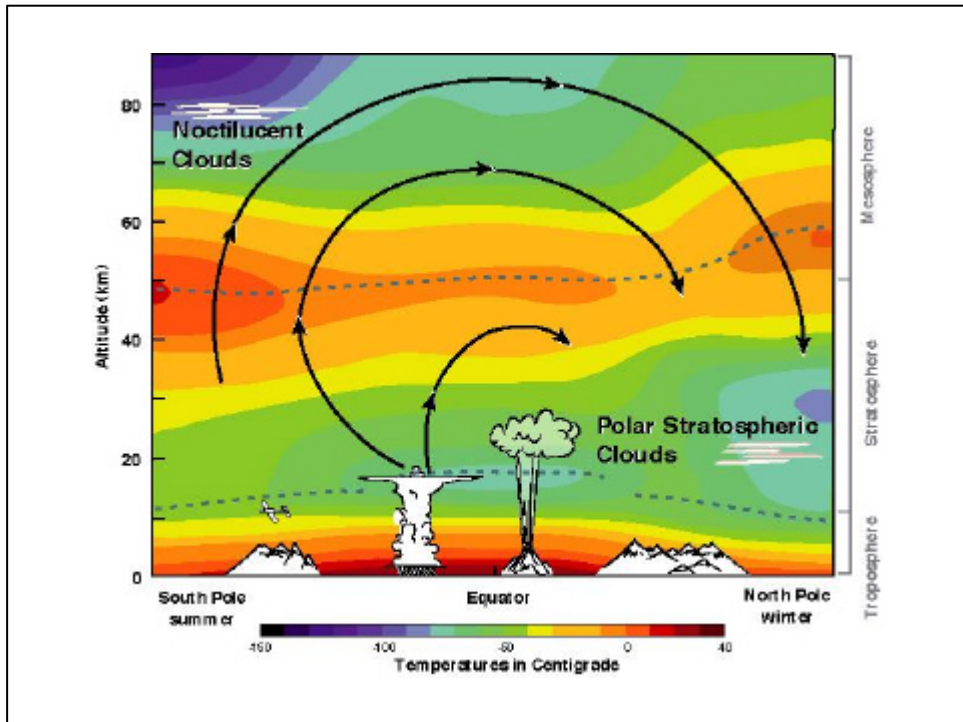
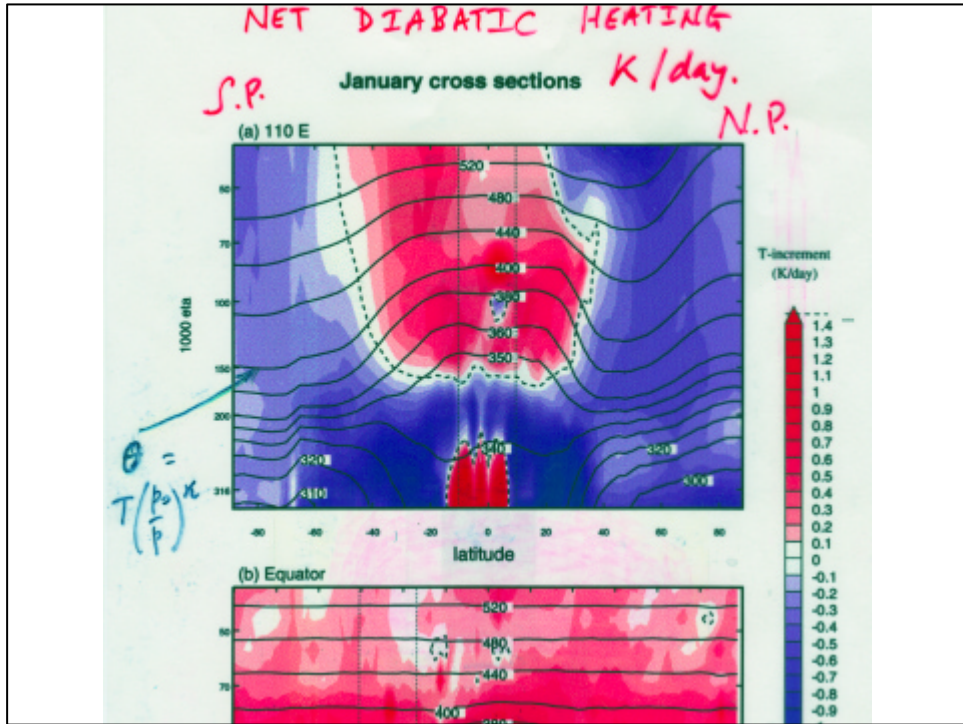


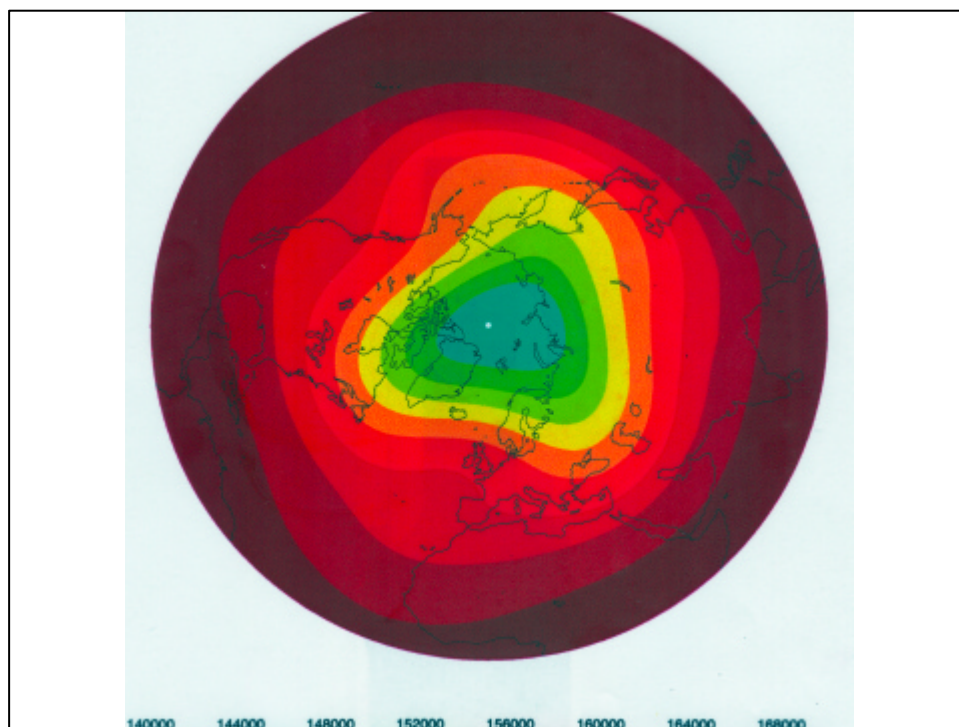
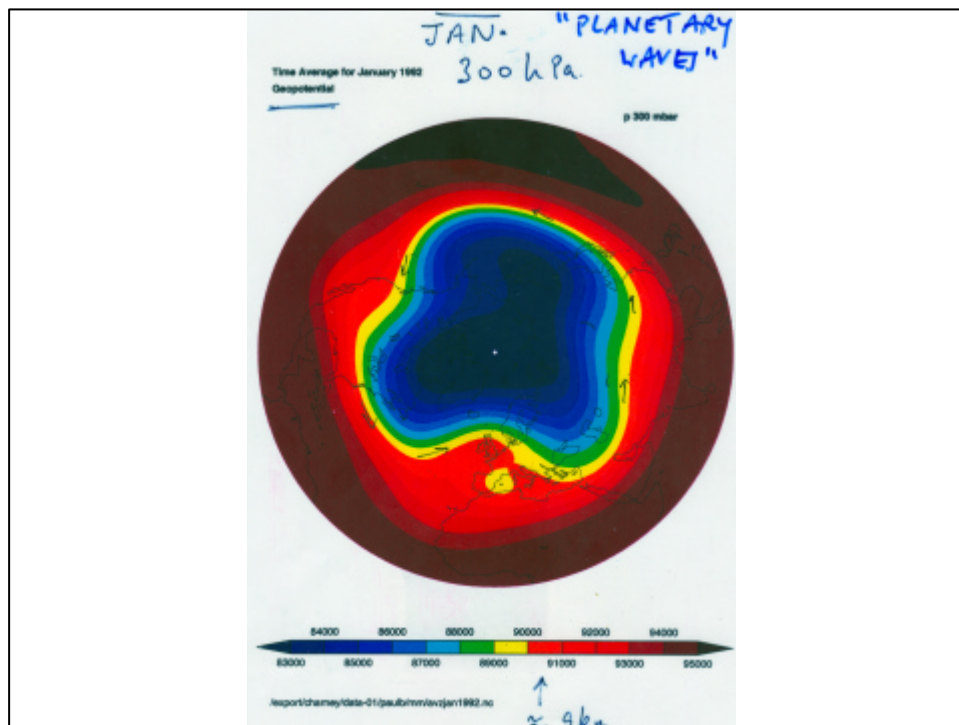


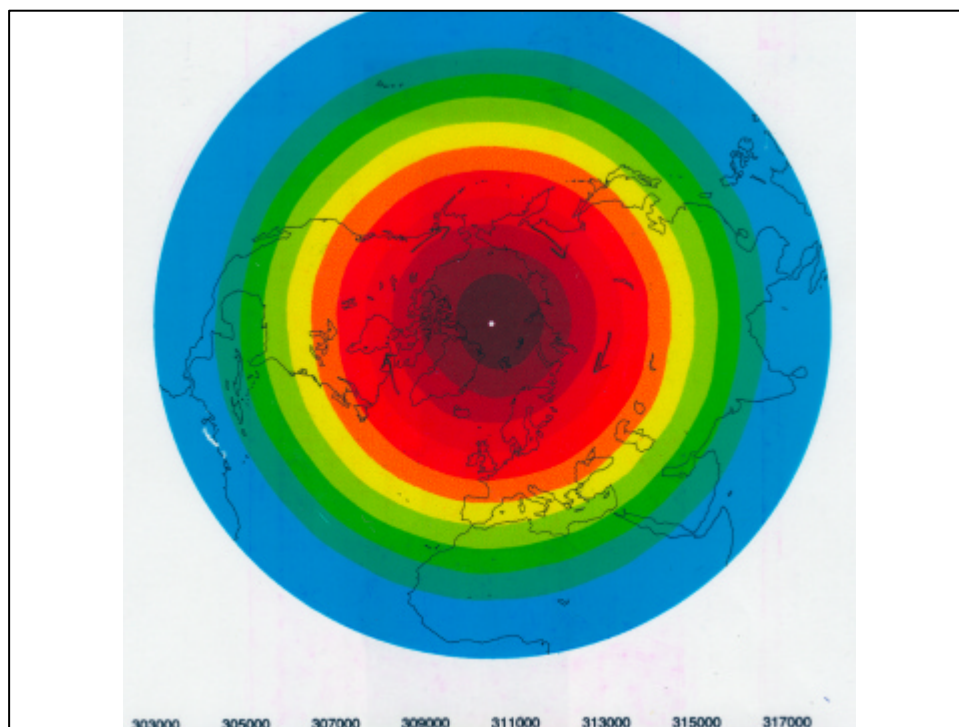
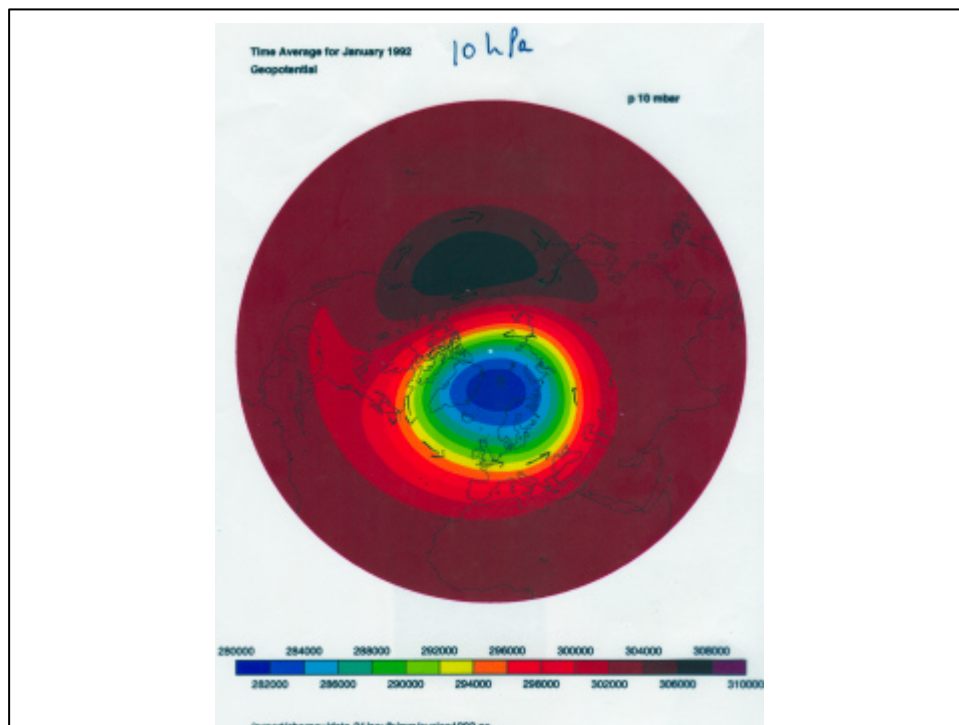


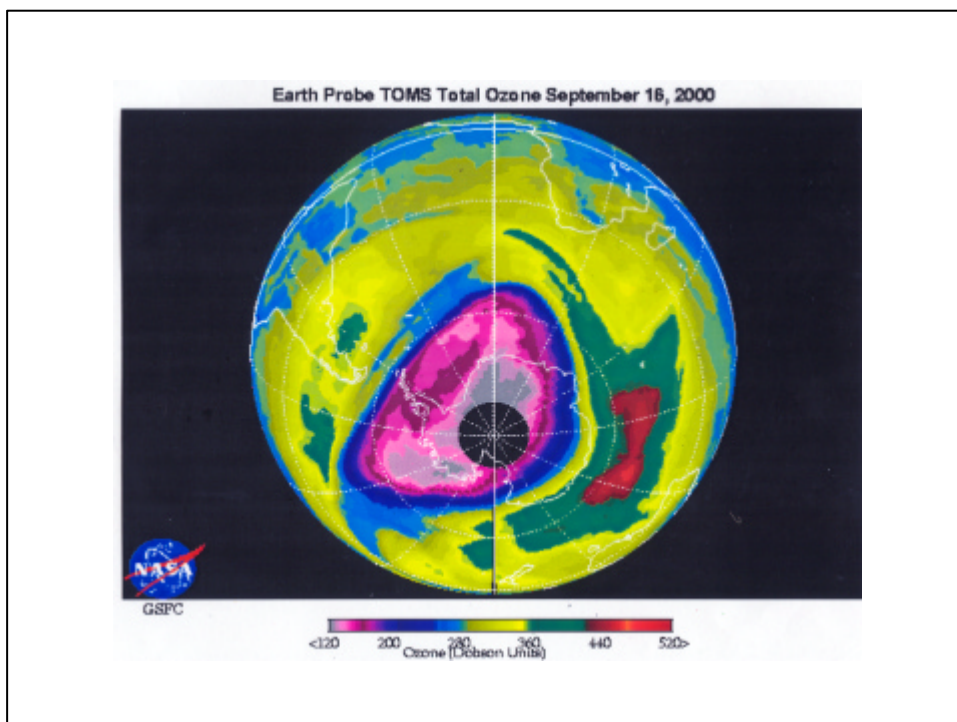
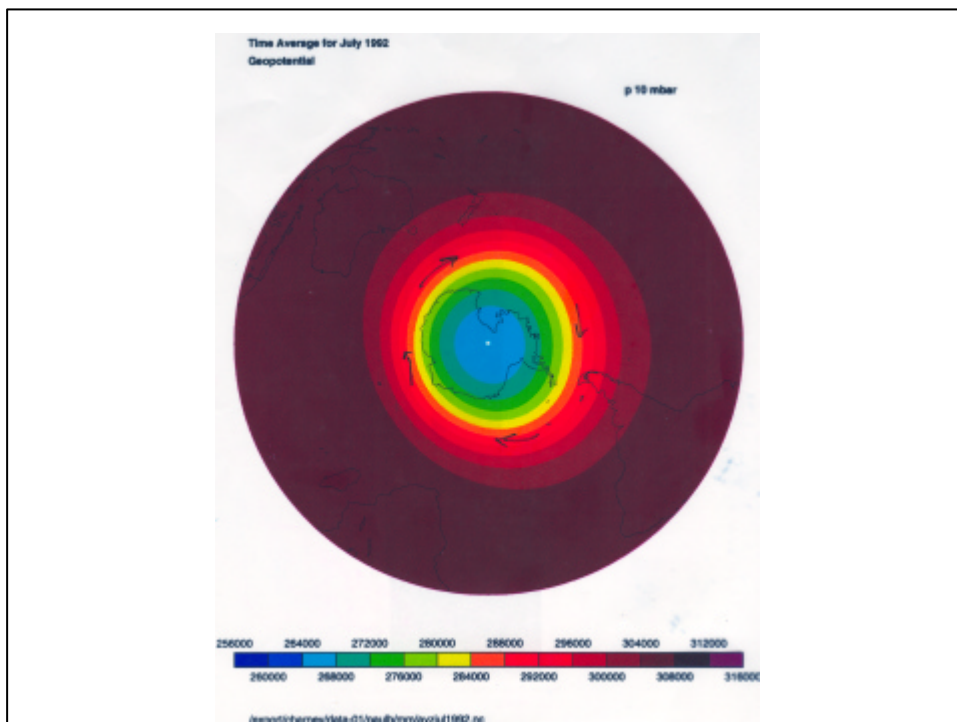


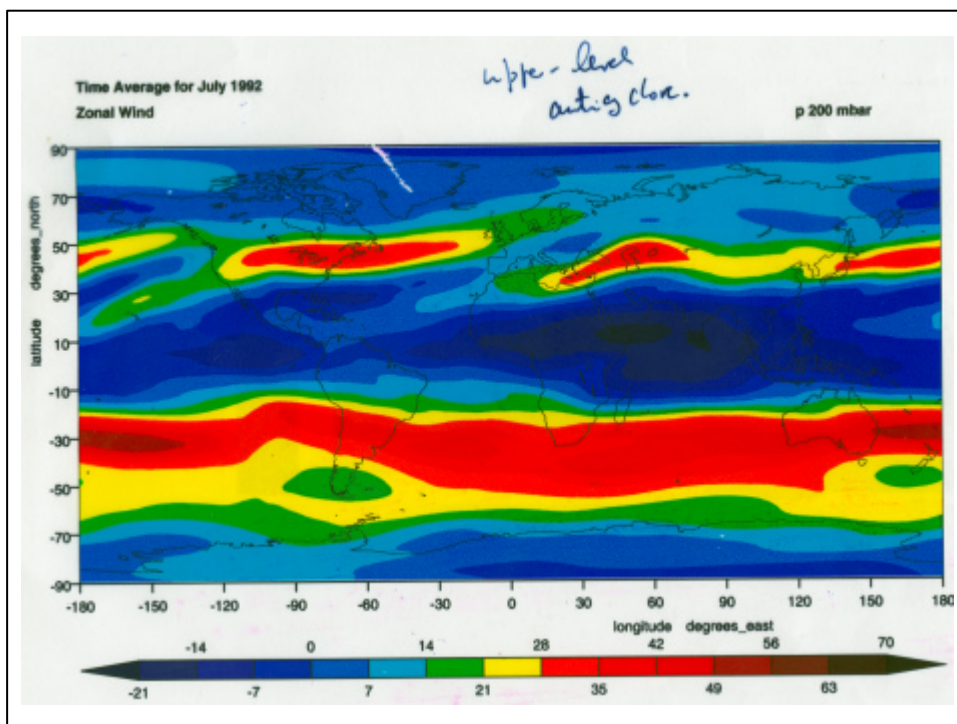
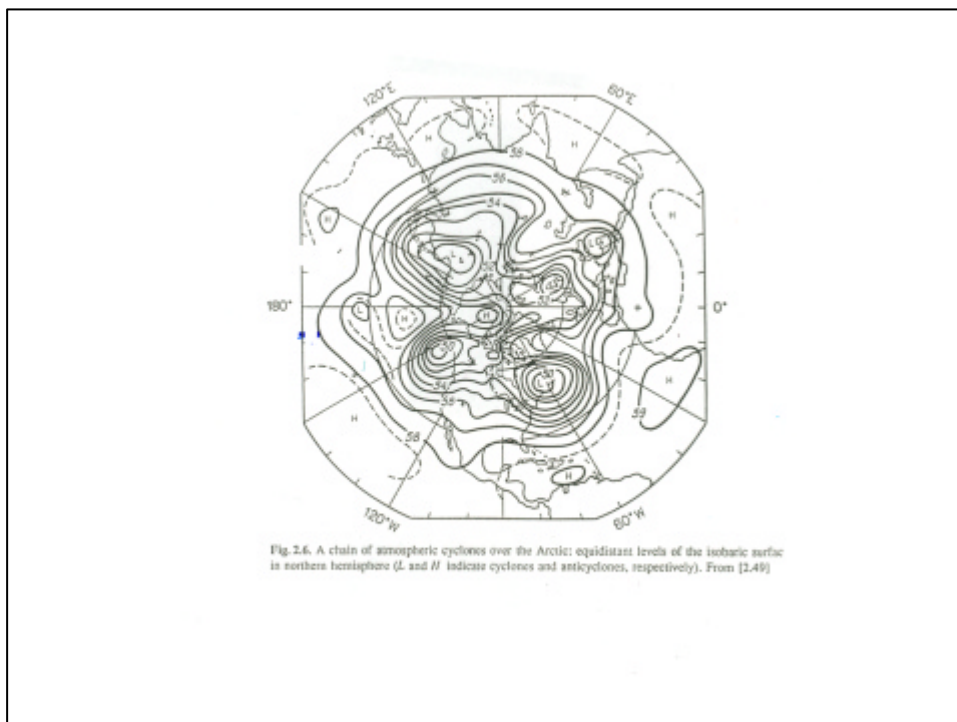


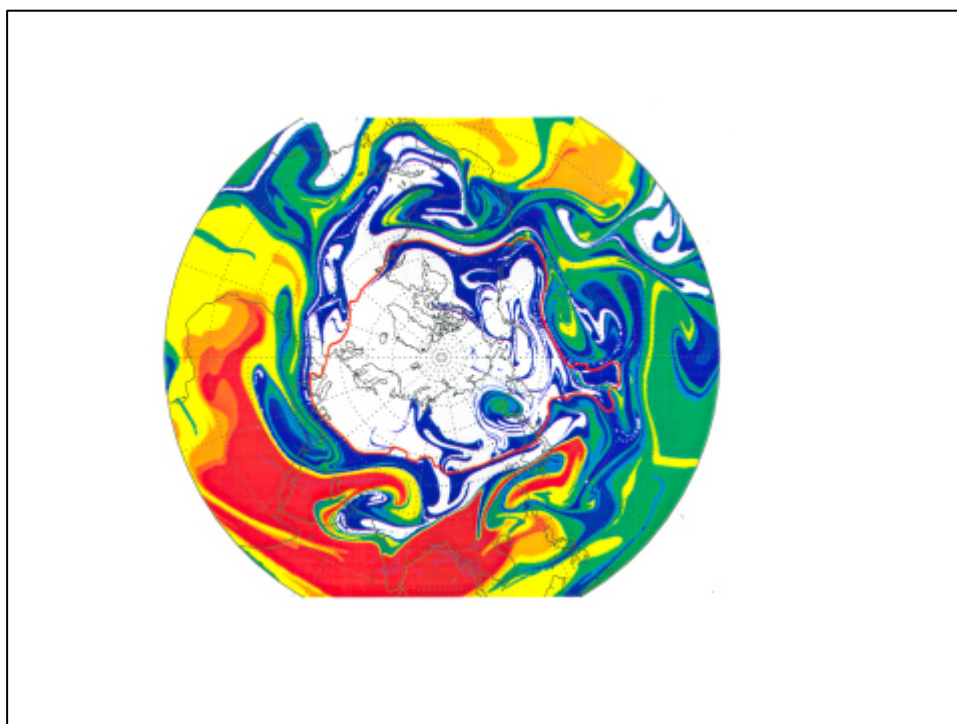
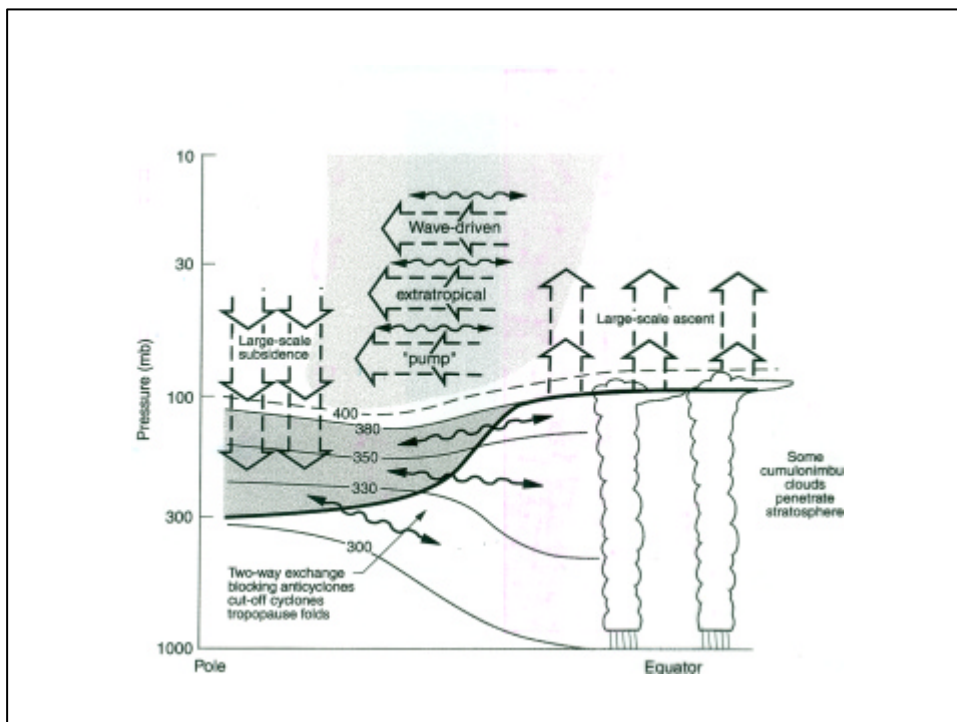


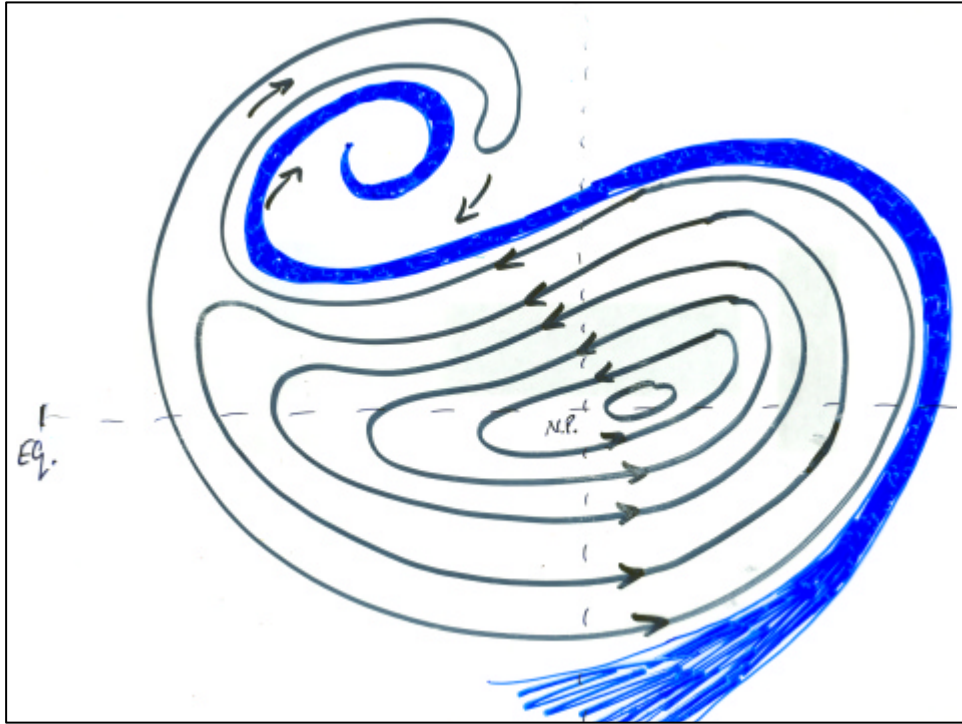












Potential Vorticity

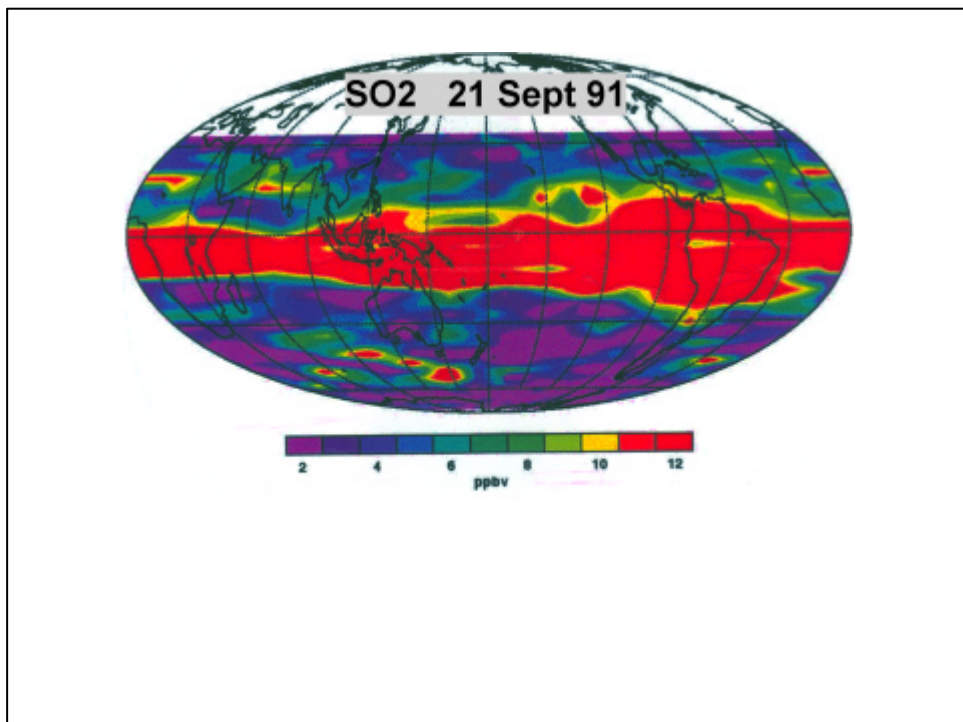
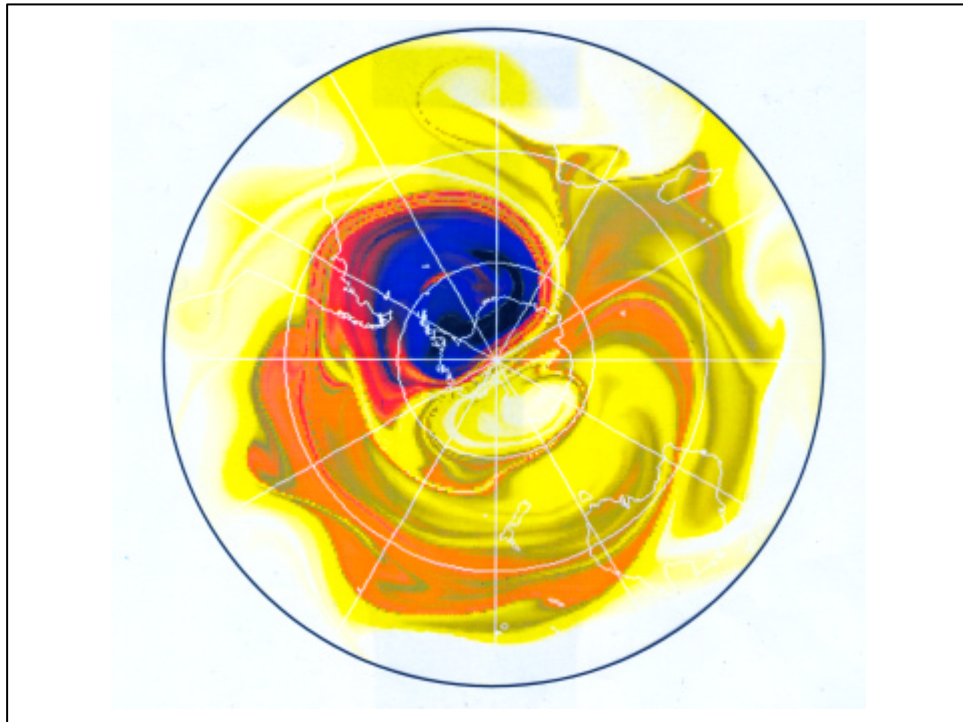
↓ scalar

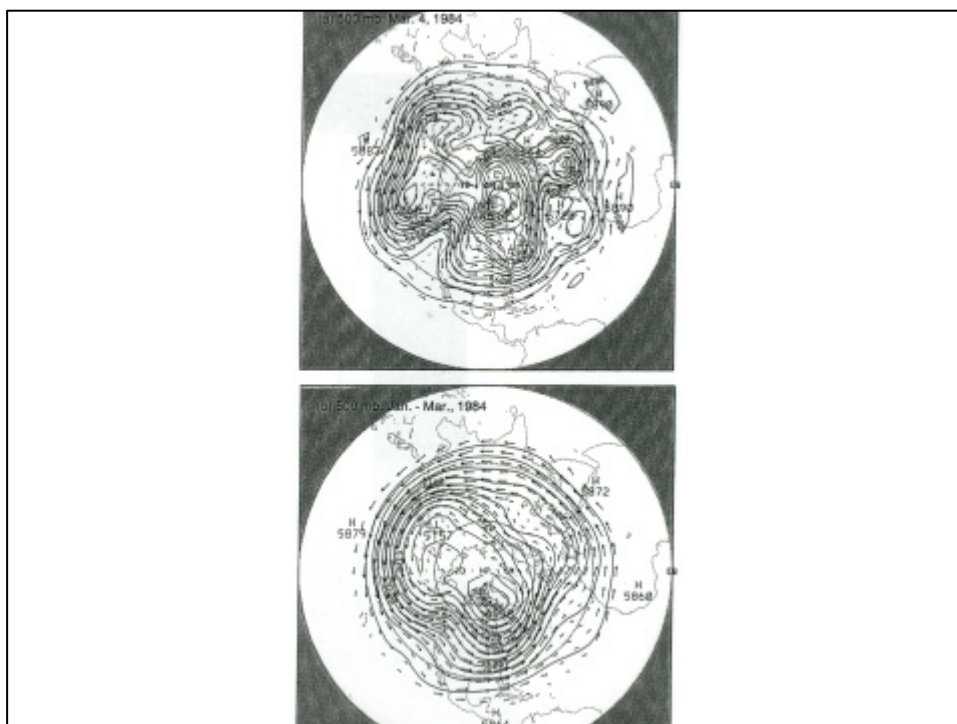
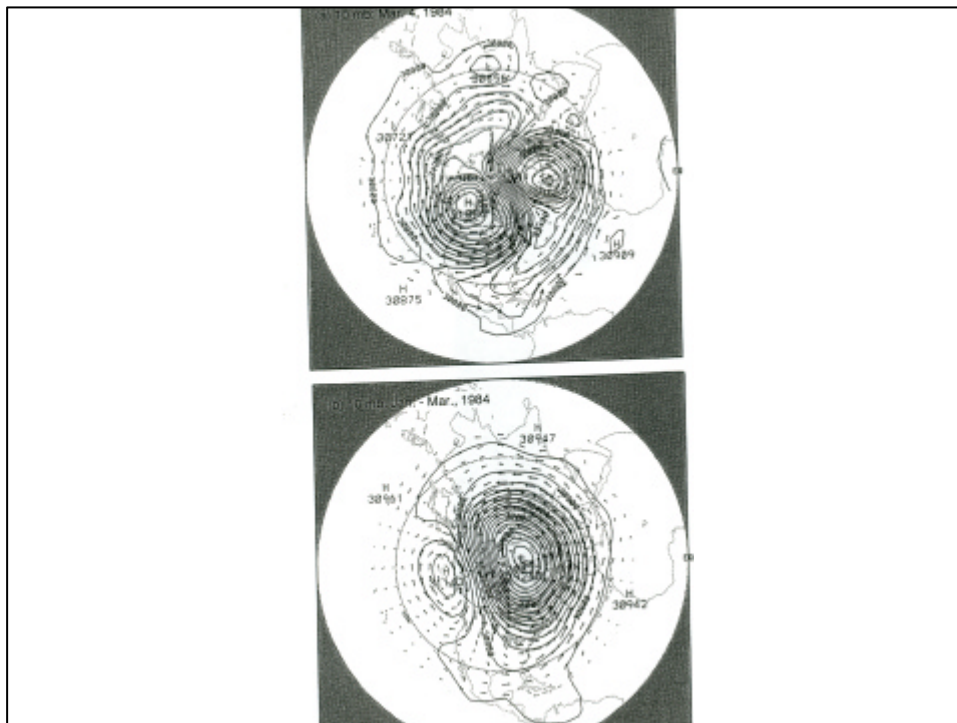
$$P = (\zeta_0 + f) \frac{\partial \theta}{\partial p}$$

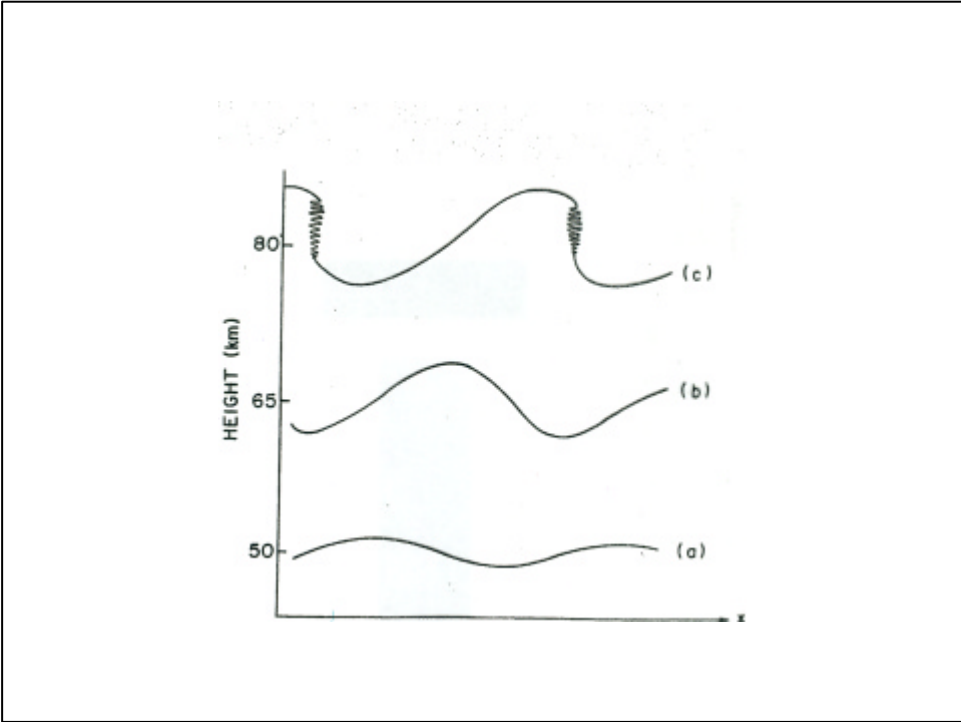
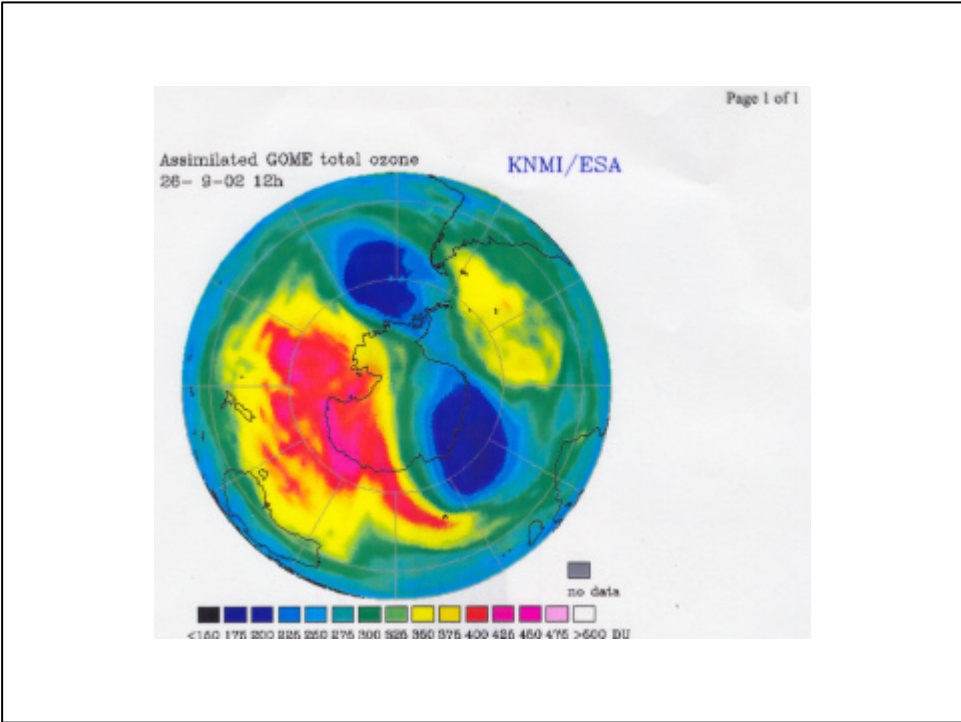
$\frac{dP}{dt} = 0$ (in absence of radiative heating & "friction")

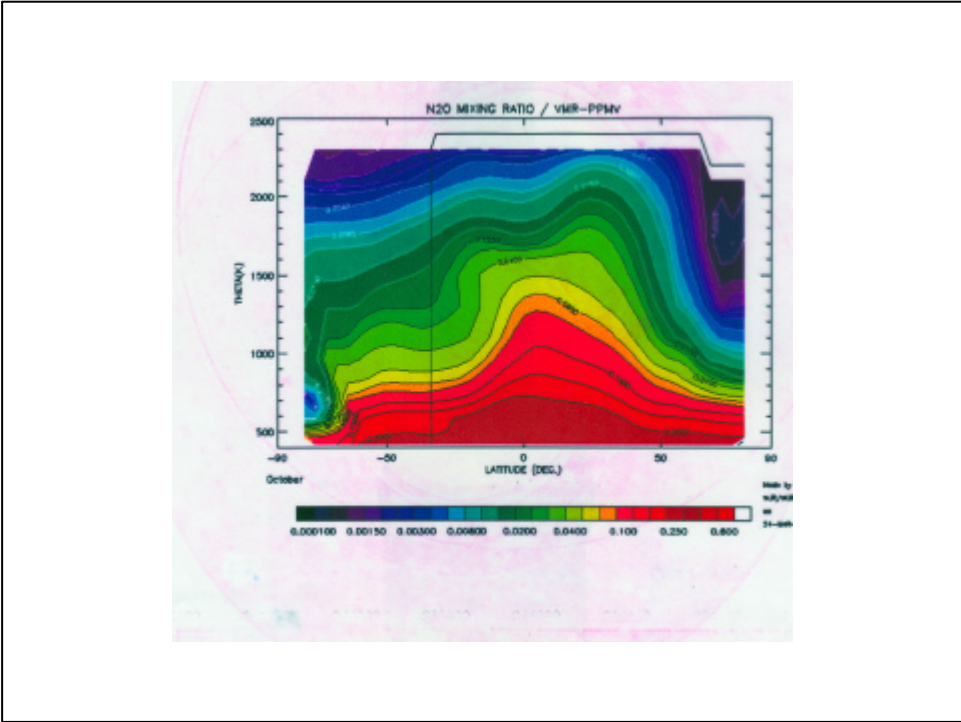
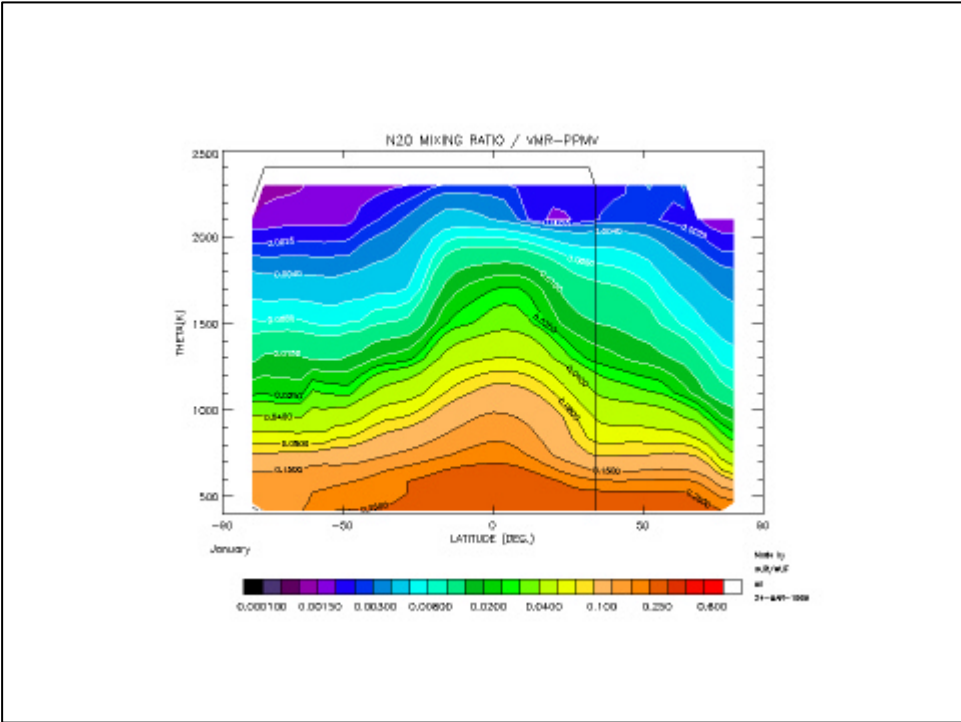
— material line of the fluid

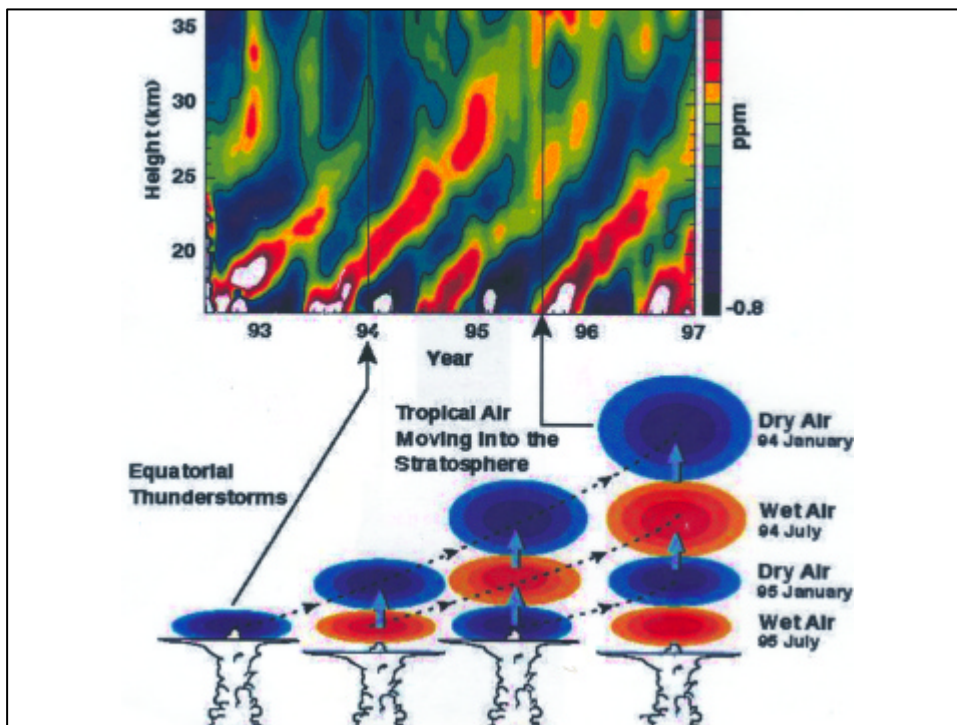
The diagram shows a horizontal plane with a red closed loop representing a material line of fluid. A small circle is also drawn on the plane. The diagram is enclosed in a rectangular box.











End